



THEME 2

THE FUNCTIONING OF MARKETS AND ALLOCATIVE ROLE OF GOVERNMENT

OVERVIEW THEME 2

THE FUNCTIONING OF MARKETS AND ALLOCATIVE ROLE OF GOVERNMENT

- Price mechanism in non-competitive markets: monopoly, oligopoly and monopolistic competition
- Government measures to adjust for market failures: externalities, asymmetric information and market power
- Public goods

CHAPTER 1: PRICE MECHANISM IN NON-COMPETITIVE MARKETS: MONOPOLY, OLIGOPOLY AND MONOPOLISTIC COMPETITION

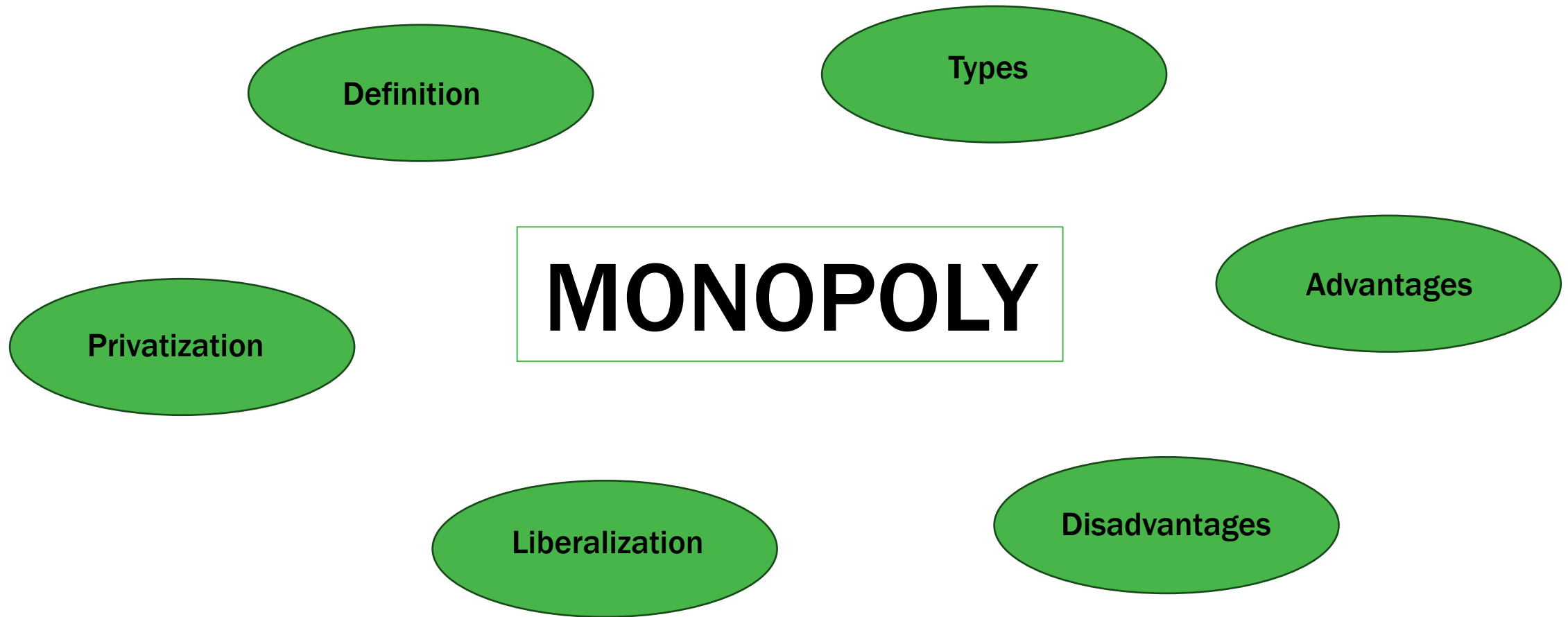
- 1. Price mechanism in monopoly**
- 2. Price mechanism in oligopoly**
- 3. Price mechanism in monopolistic competition**

1. PRICE MECHANISM IN MONOPOLY



WHAT IS A MONOPOLY?

FLASHBACK



MONOPOLY PRICING

Principles of monopolistic price-setting

- No competition >>> monopolist is price-setter or **price-maker**
- Like any supplier, monopolist aim to maximize profit
 $MR = MC$
- Since there are no alternatives, consumer demand tends to be **inelastic**



**De Lijn is
increasing its
prices by an
average of 4.2
per cent in
February**

The fares for travelling by bus or tram with De Lijn will increase by an average of 4.2 % in February. Season tickets and multi-trip tickets in particular will become more expensive. This was announced by the **Flemish public transport** company on Friday.

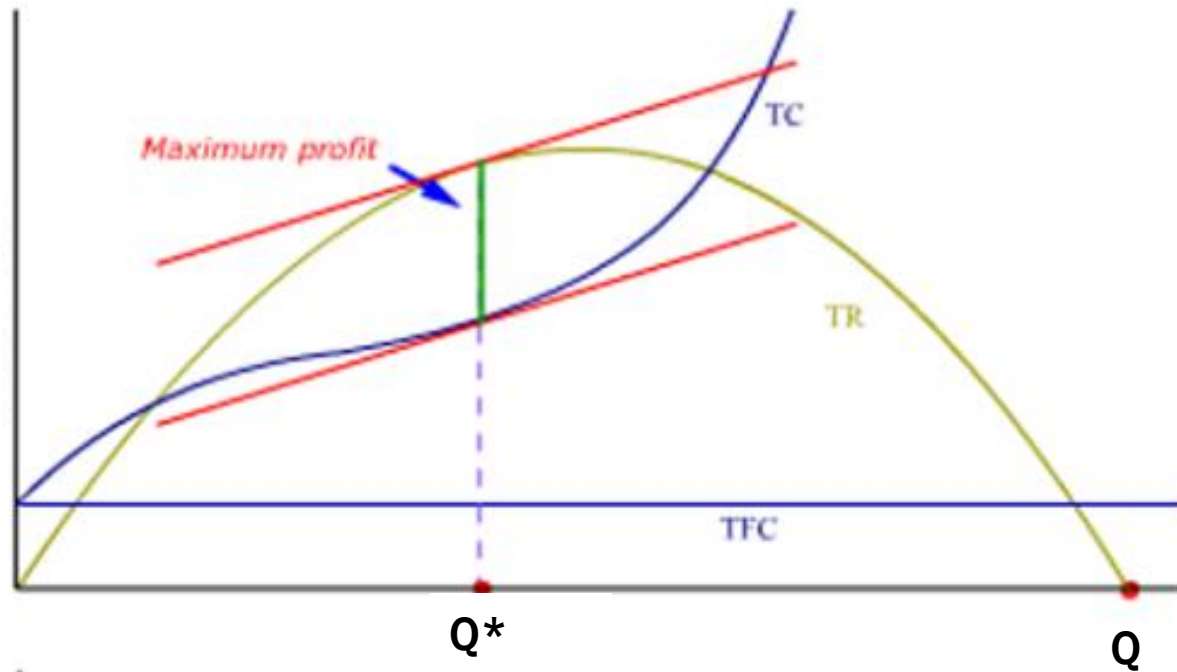
‘De Lijn has autonomy over its fares,’ says Flemish Minister of Mobility Annick De Ridder (N-VA) in De Lijn's press release.

‘It is only logical that the fares should evolve **in line with the index**, something that never happened in the previous legislature.’

..... monopoly

Meaning?

TR
TC
TFC

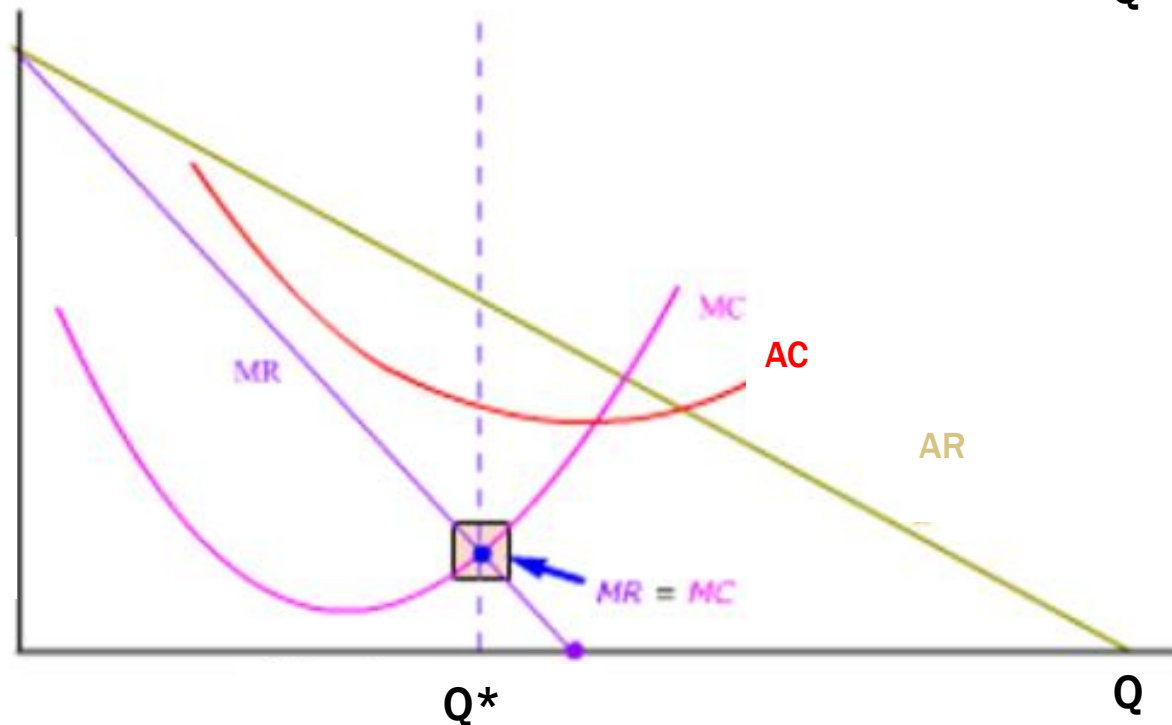


P is not constant (unlike perfect competition) >>>
TR is not a straight line

$TC = TFC + \text{variable part}$

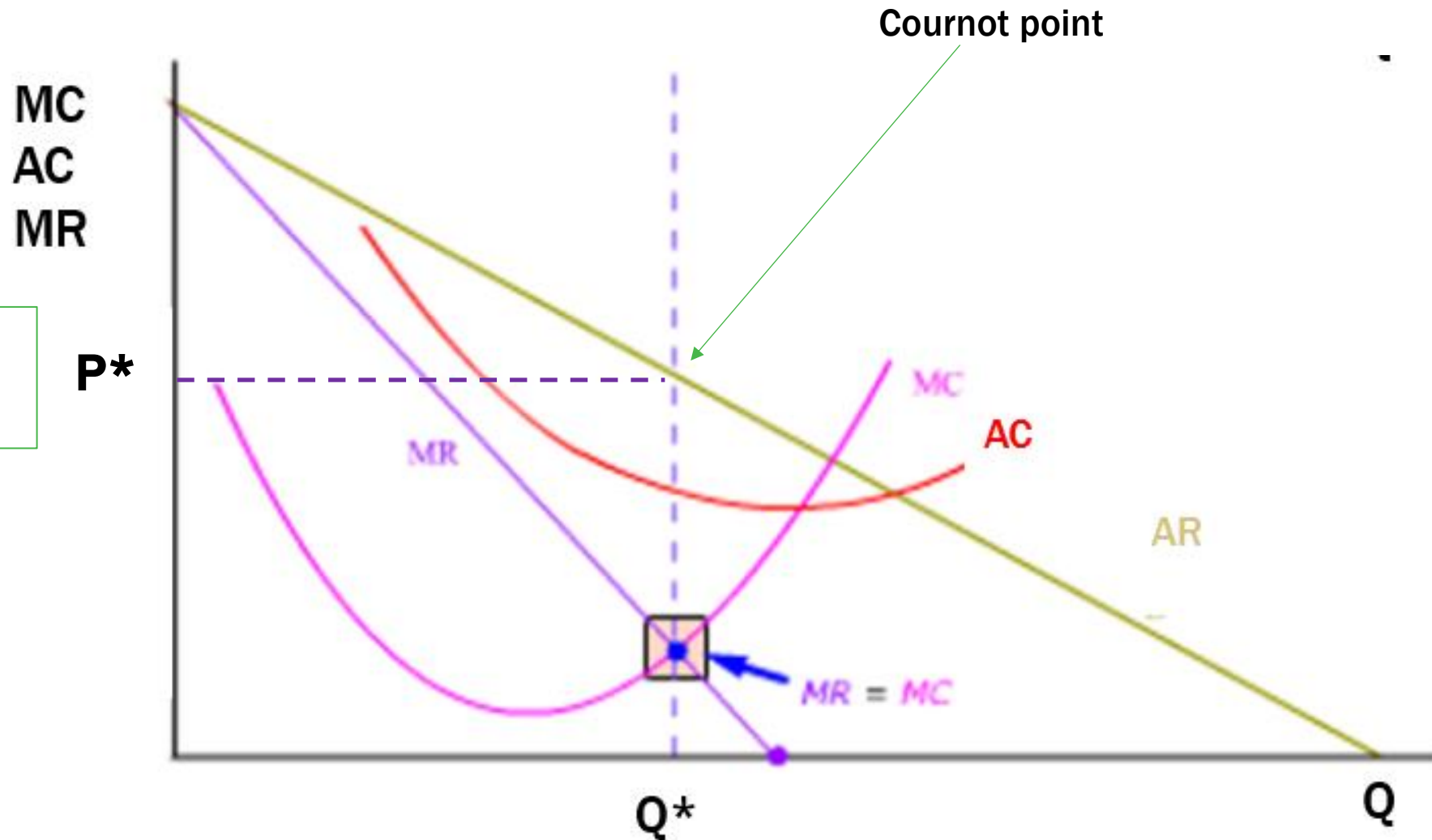
maximum profit in Q^*

MC
AC
MR



P is not constant (unlike perfect competition) >>>
MR and AR are not horizontal

maximum profit in Q^*



$P^* =$
optimal price

$Q^* =$ optimal (production) quantity

(NL) IETS OVER AFGELEIDEN

De afgeleide van een functie is de richtingscoëfficiënt van de raaklijn in een punt van die functie.

$$\text{Afgeleide van } TR = MR \quad = \quad \text{Afgeleide van } TC = MC$$

Rekenregel voor afgeleide:

$$f(x) = a x^2 + b x + c \quad >>> \quad f'(x) = 2 a x + b$$

(NL) IETS OVER AFGELEIDEN

Voorbeelden:

$$f(x) = 3x^2 + 2x + 5 \quad \ggg \quad d f(x) = 6x + 2$$

$$f(x) = -x^2 + 4x \quad \ggg \quad d f(x) = -2x + 4$$

$$f(x) = 4x^2 - 3x + 12 \quad \ggg \quad d f(x) = 8x - 3$$

$$f(x) = -2x^2 + 6x - 3 \quad \ggg \quad d f(x) = -4x + 6$$

MATHEMATICAL ANALYSIS: EXAMPLE

DATA:

Imagine a shop named BIGSTUFF has a monopoly in bike helmets.

Cost function: $TC = 20Q^2$

Demand function: $P = 210 - Q$

P in €

Q in units

QUESTION:

Calculate the optimal quantity, optimal price and maximum profit!

STEP 1: calculate TR

$$TR = P * Q = AR * Q$$

$$TR = (210 - Q) * Q$$

$$TR = 210Q - Q^2$$

STEP 2: calculate MR

$$MR = \text{first derivative of TR}$$

$$MR = d(210Q - Q^2)$$

$$MR = 210 - 2Q$$

STEP 3: calculate MC

$$MC = \text{first derivative of TC}$$

$$MC = d(20Q^2)$$

$$MC = 40Q$$

STEP 4: calculate optimal quantity

$$MC = MR$$

$$40Q = 210 - 2Q$$

$$42Q = 210$$

$$Q = 5$$

STEP 5: calculate optimal price

$$P = AR = 210 - Q$$

$$P = 210 - 5$$

$$P = \text{€}205$$

STEP 6: calculate optimal profit

$$TP = TR - TC$$

$$TP = 210Q - Q^2 - 20Q^2$$

$$TP = (210 * 5) - 25 - (20 * 25) = \text{€}525$$

MATHEMATICAL ANALYSIS: EXERCISE

DATA:

Imagine a business named SUNBEACH has a monopoly in beach chairs.

Cost function: $TC = 30 + 2Q^2$

Demand function: $P = 180 - 4Q$

P in €

Q in units

QUESTION:

Calculate the optimal quantity, optimal price and maximum profit!

STEP 1: calculate TR

STEP 3: calculate MC

STEP 2: calculate MR

STEP 4: calculate optimal quantity

STEP 5: calculate optimal price

STEP 6: calculate optimal profit